

Label Informed Attributed Network Embedding

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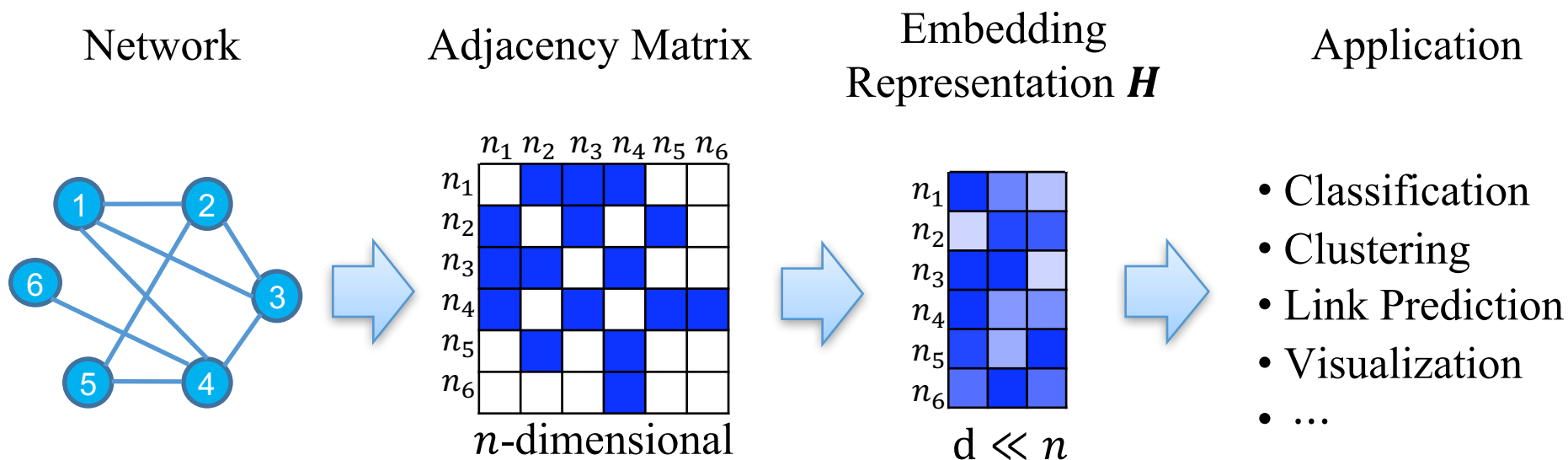
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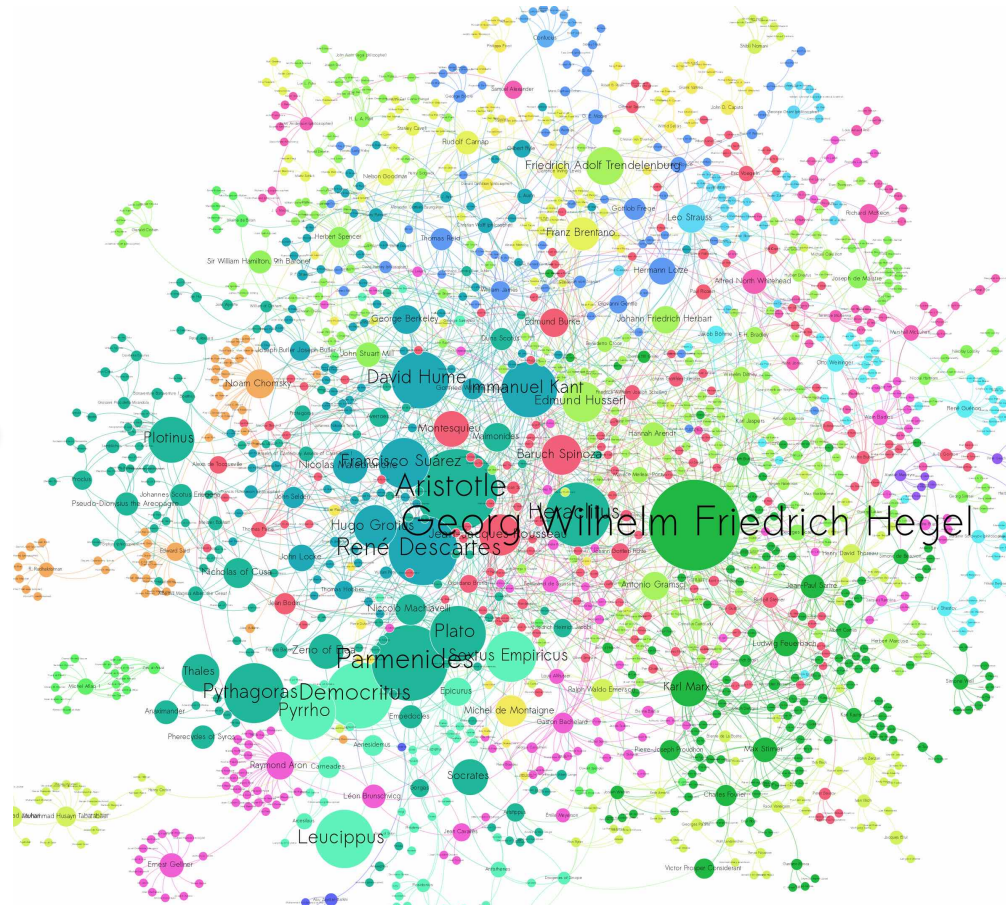
What is Network Embedding

- Preserve the geometrical structure by mapping each node into a continuous low-dimensional vector space
- Pave the way for numerous applications



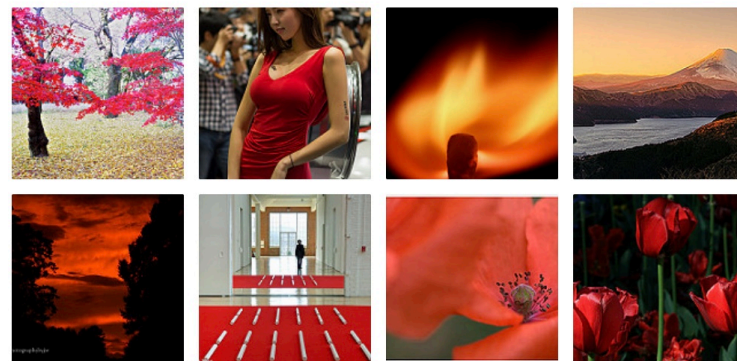
What is Attributed Network

- Powerful in modeling real-world information systems
- Network topological structure & node attribute information



Why Label Informed

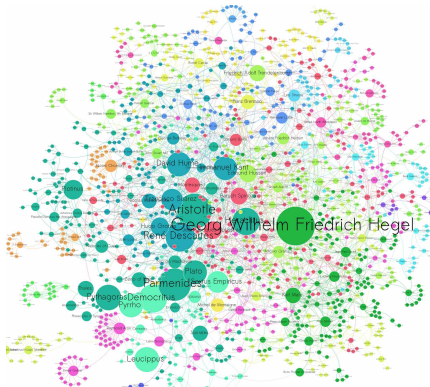
- Abundant label info observed: group, community, category
- Labels and attributed network affect and depend on each other



Same labels:

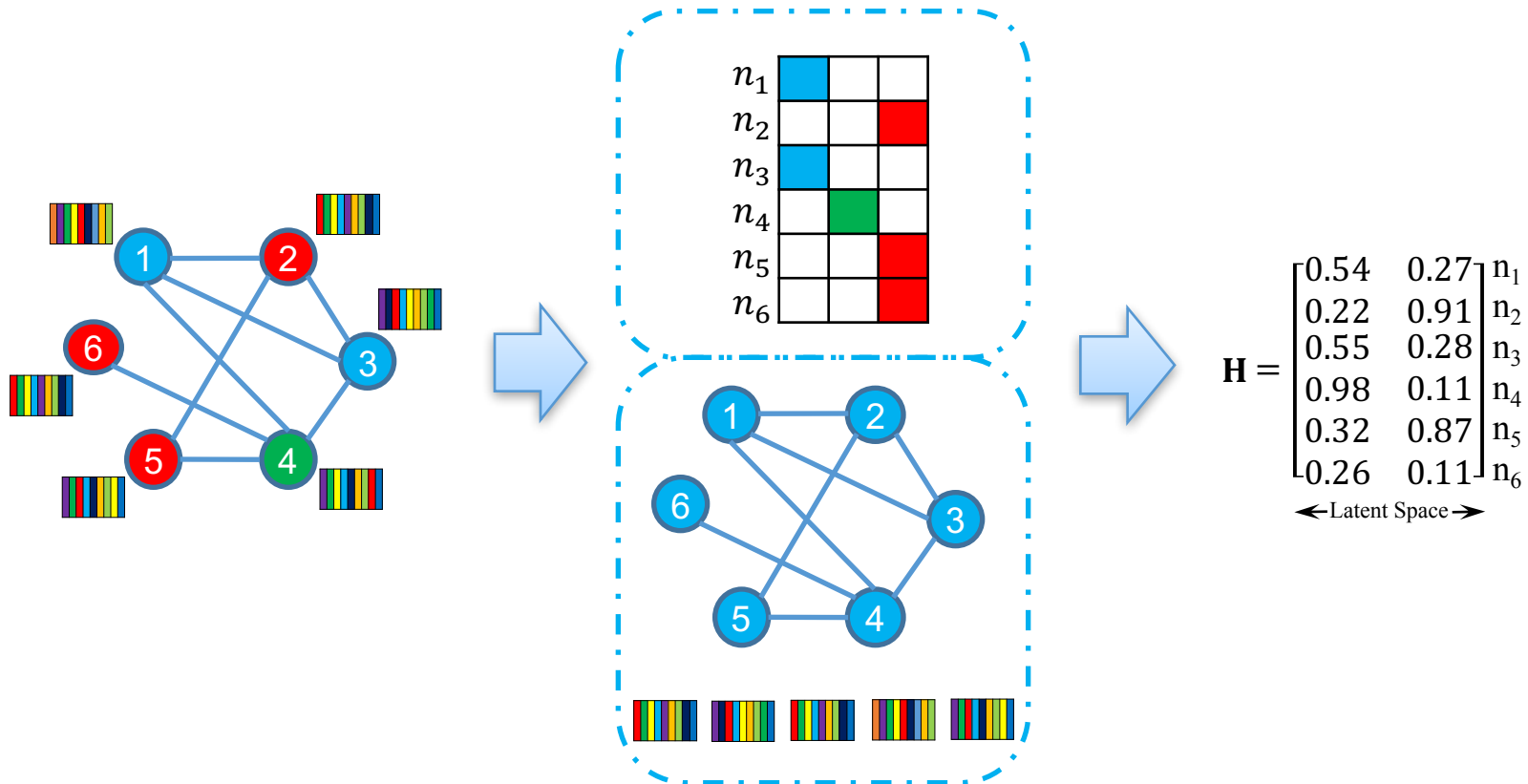
- Similar photos
- Interact with each other

Colors ?



Problem Statement

- Label Informed Attributed Network Embedding (LANE): leverage both labels and node proximity in attributed network to learn a more efficient latent representation



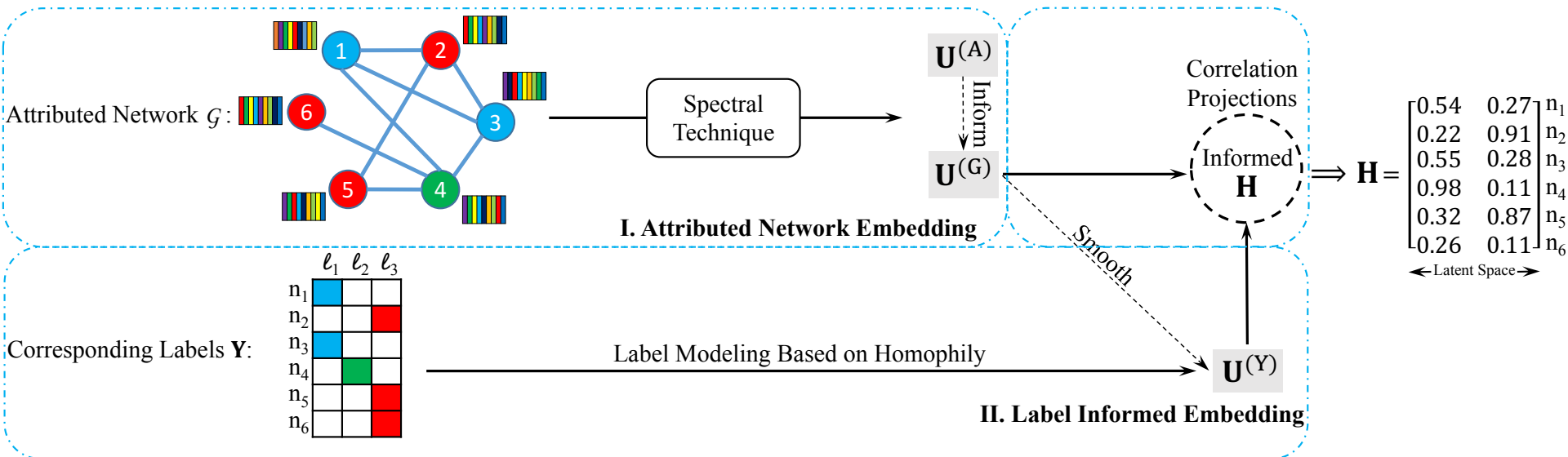
Opportunities & Challenges

- Labels are informative:
 - They are strongly influenced by and inherently correlated to the attributed network
 - Jointly exploiting them with node proximity in attributed network benefits various data mining applications

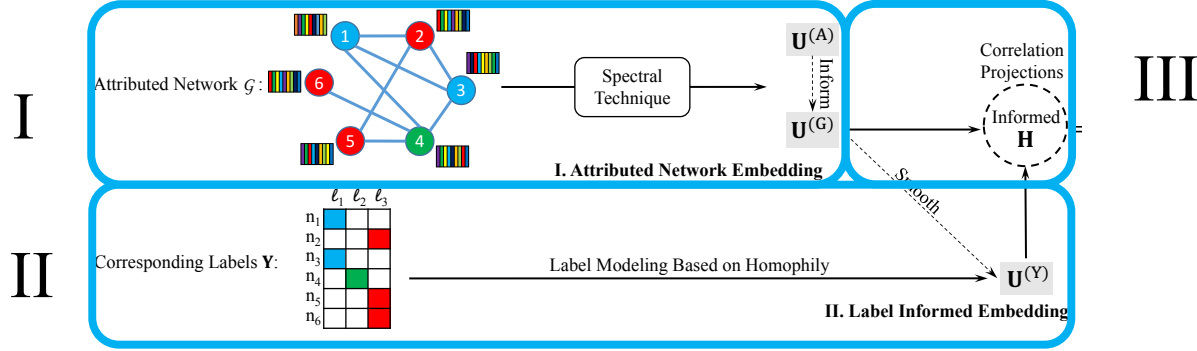
- Noise & Heterogeneity:
 - Data could be sparse, incomplete and noisy
 - Label info is distinct from topological structure and node unique features

Major Contributions

- Propose a framework LANE that embeds nodes with similar network structure, attribute proximity, or same label into similar vector representations



Framework LANE



- I. Collectively model network proximity and node attribute info via spectral technique

$$\underset{\mathbf{U}^{(G)}, \mathbf{U}^{(A)}}{\text{maximize}} \quad \mathcal{J}_G + \alpha_1(\mathcal{J}_A + \rho_1) = \text{Tr} \left(\mathbf{U}^{(G)\top} \mathcal{L}^{(G)} \mathbf{U}^{(G)} + \alpha_1 \mathbf{U}^{(A)\top} \mathcal{L}^{(A)} \mathbf{U}^{(A)} + \alpha_1 \mathbf{U}^{(A)\top} \mathbf{U}^{(G)} \mathbf{U}^{(G)\top} \mathbf{U}^{(A)} \right)$$

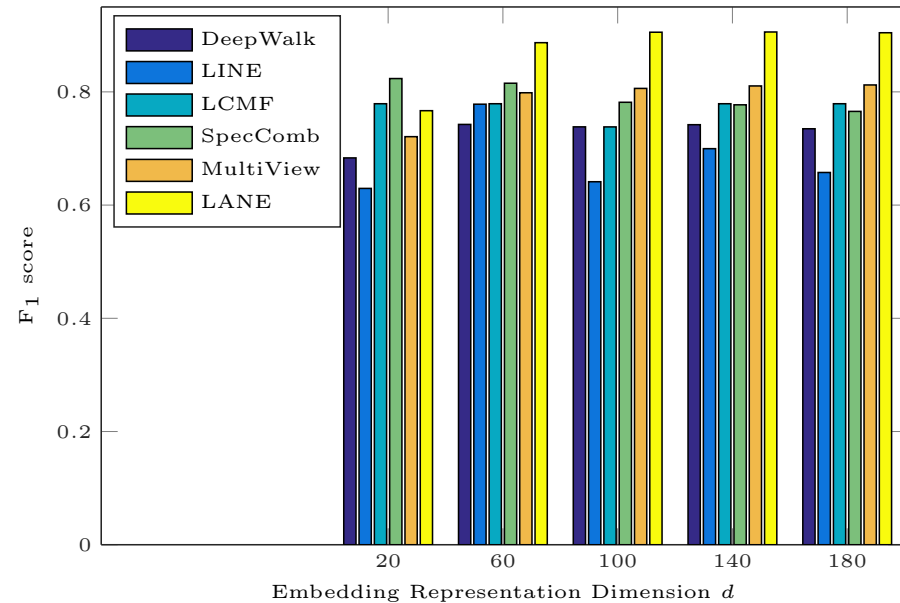
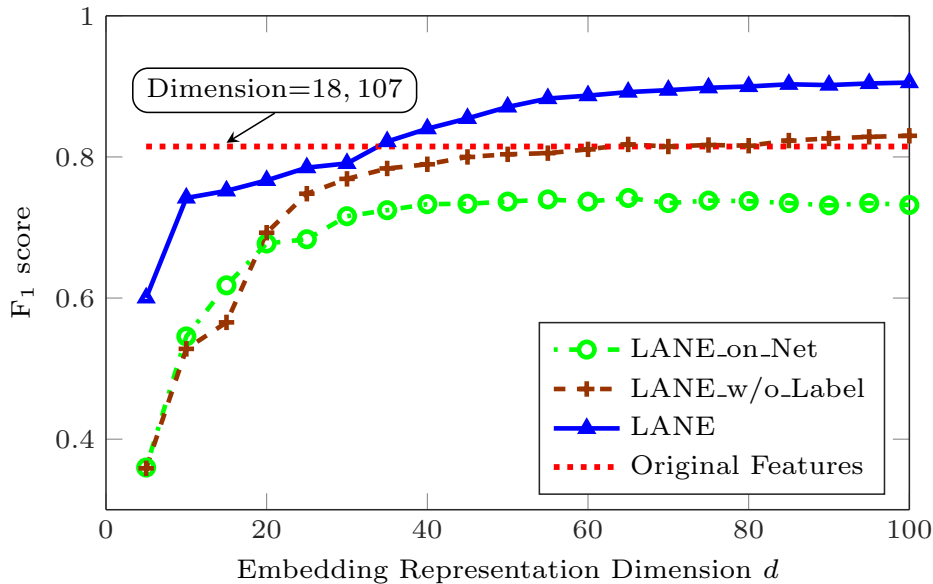
- II. Consider nodes with the same label as a clique, and employ the learned network proximity to smooth the label info

$$\underset{\mathbf{U}^{(G)}, \mathbf{U}^{(Y)}}{\text{maximize}} \quad \mathcal{J}_Y = \mathbf{U}^{(Y)\top} (\mathcal{L}^{(YY)} + \mathbf{U}^{(G)} \mathbf{U}^{(G)\top}) \mathbf{U}^{(Y)}$$

- III. Uniformly and jointly model proximities of heterogeneous info

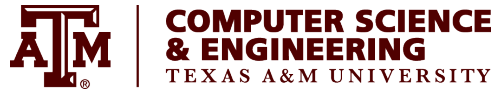
Experimental Results

- LANE and its variation outperform Original Features
- LANE achieves significantly better performance than the state-of-the-art embedding algorithms



Acknowledgement

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